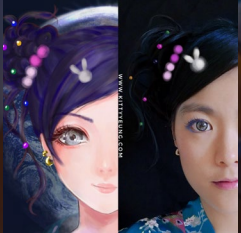


Introduction to Quantum Computing



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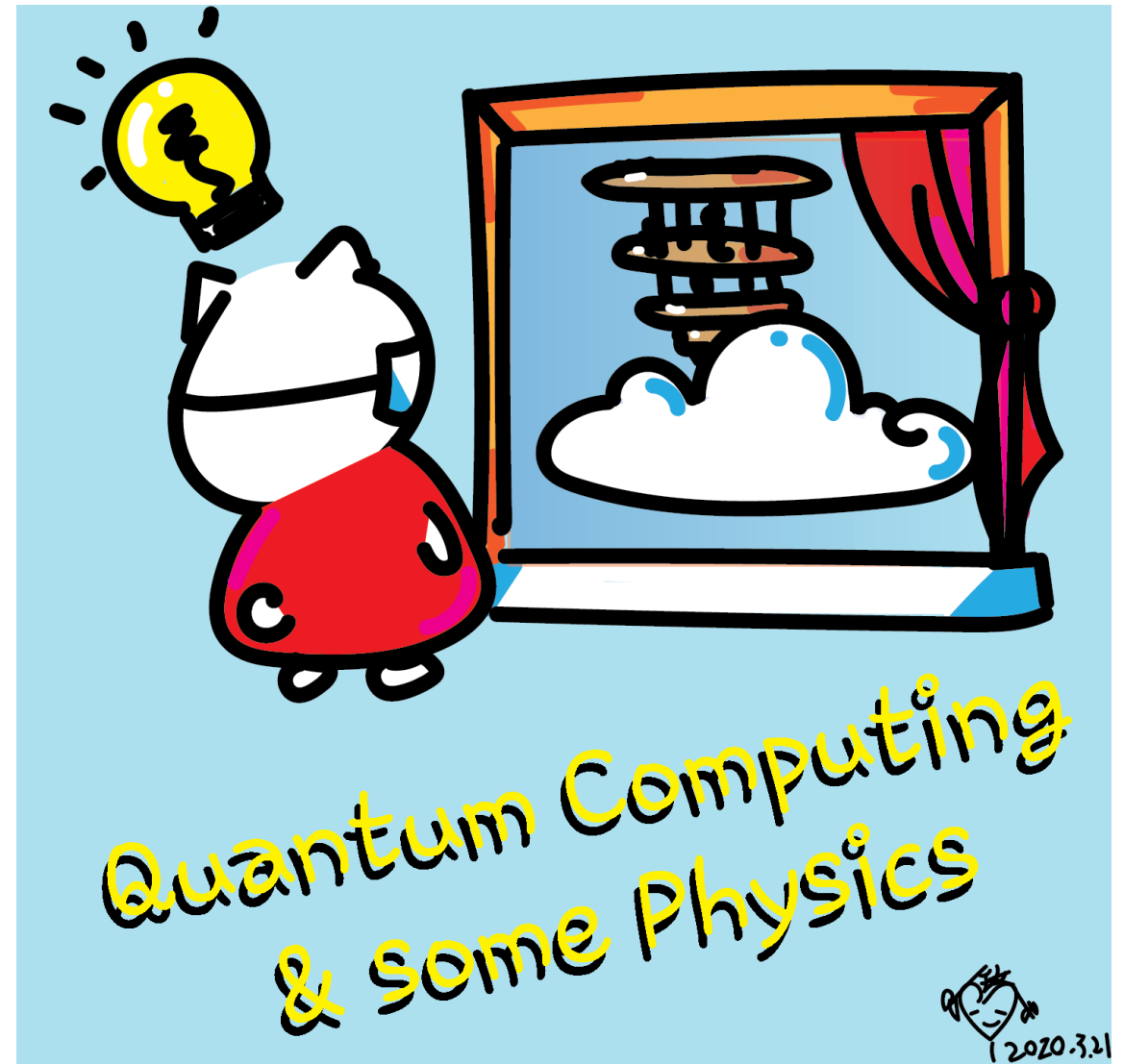
@artbyphysicistkittyyeung

March 29, 2020

Hackaday

Class structure

- [Comics on Hackaday – Introduction to Quantum Computing](#) every Wed & Sun
- 30 mins every Sun, one concept (theory, hardware, programming), Q&A
- Contribute to Q# documentation
<http://docs.microsoft.com/quantum>
- Coding through Quantum Katas
<https://github.com/Microsoft/QuantumKatas/>
- Discuss in Hackaday project comments throughout the week
- Take notes





Reinforcement learning for natural intelligence

- Interactive class, feel free to ask questions
- Anything confusing? I'll try to explain a different way

2020.3.21

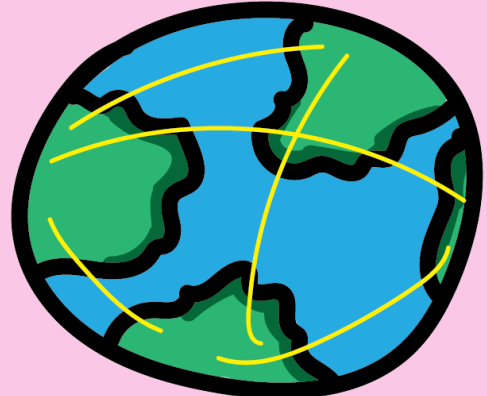
Our world now runs on computers



- they are machines we task to carry out work more efficiently than we ever do manually.



DATA CENTER SERVERS



People and things are connected through the internet.



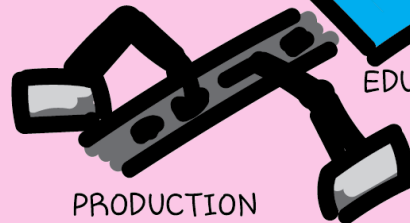
PUBLIC HEALTH



MOBILITY



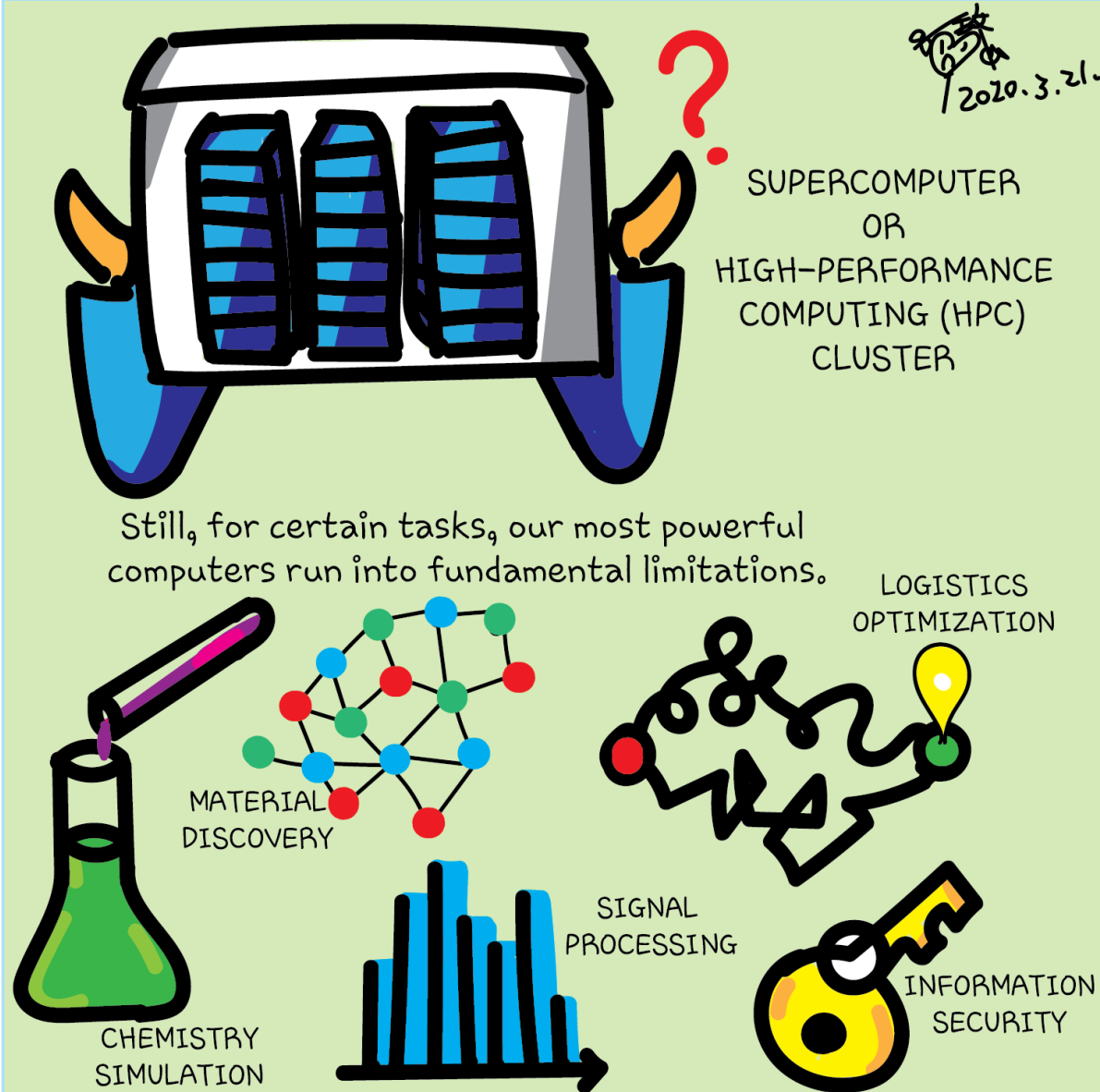
EDUCATION



PRODUCTION

Applications

- Quantum simulations
- Algorithms
- Cryptography



2020.3.21.

SUPERCOMPUTER
OR
HIGH-PERFORMANCE
COMPUTING (HPC)
CLUSTER

Still, for certain tasks, our most powerful computers run into fundamental limitations.

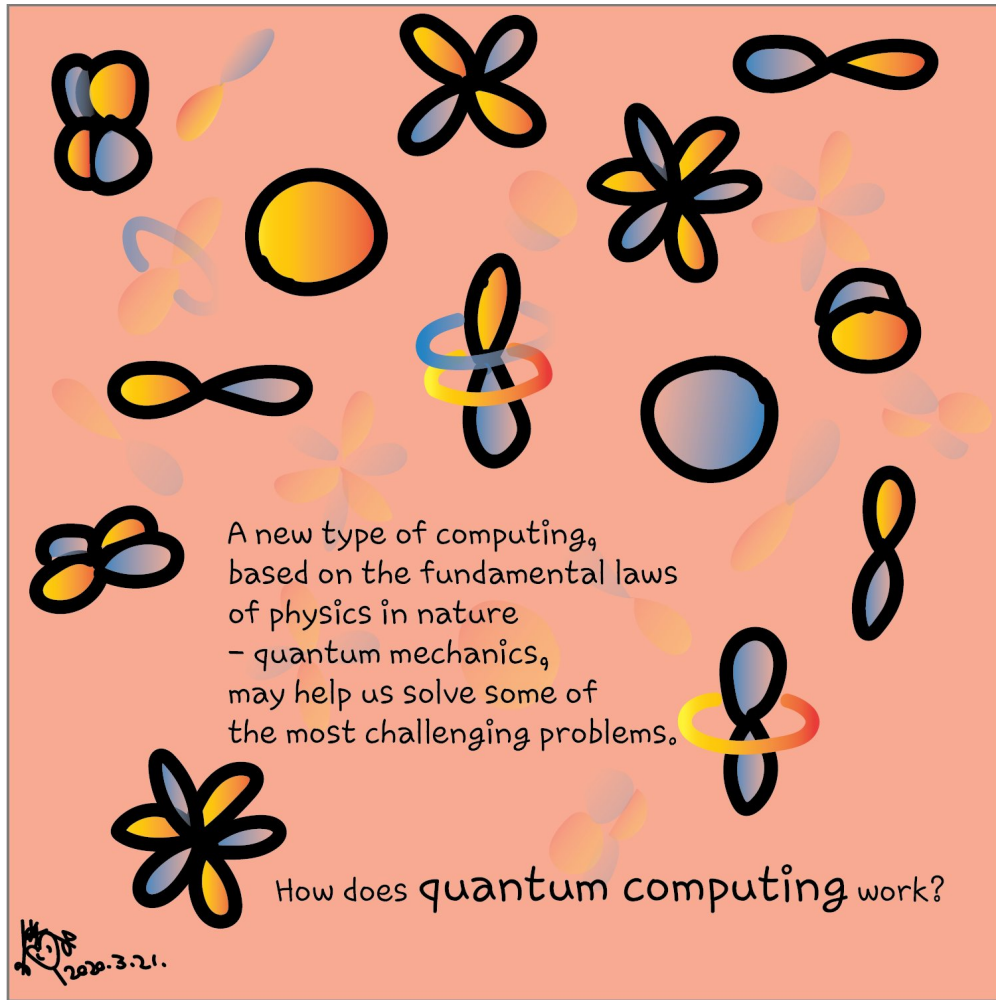
CHEMISTRY SIMULATION

MATERIAL DISCOVERY

SIGNAL PROCESSING


LOGISTICS OPTIMIZATION

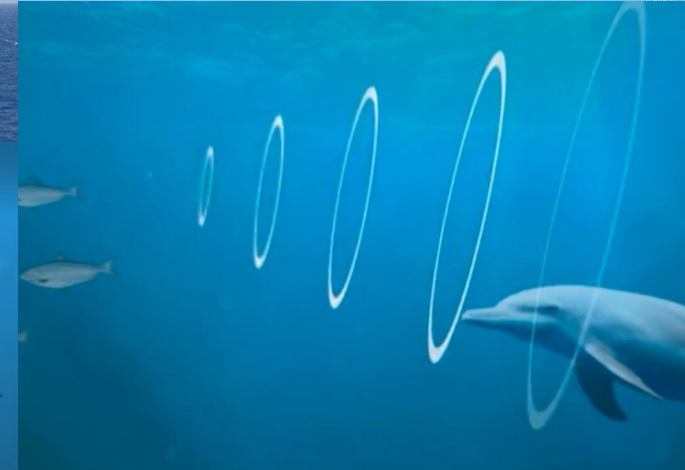
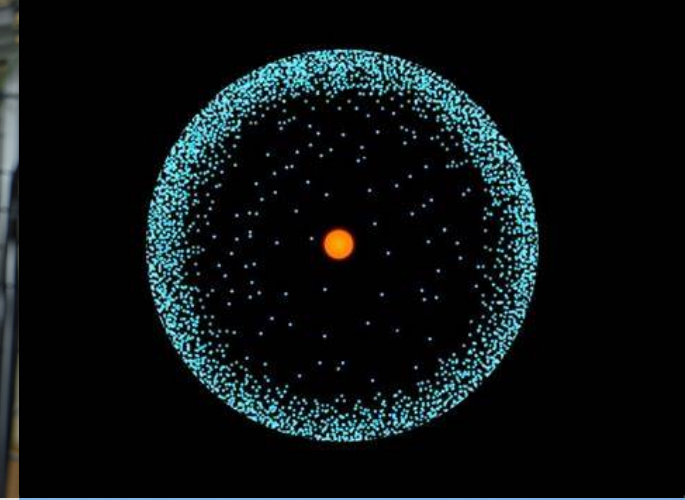
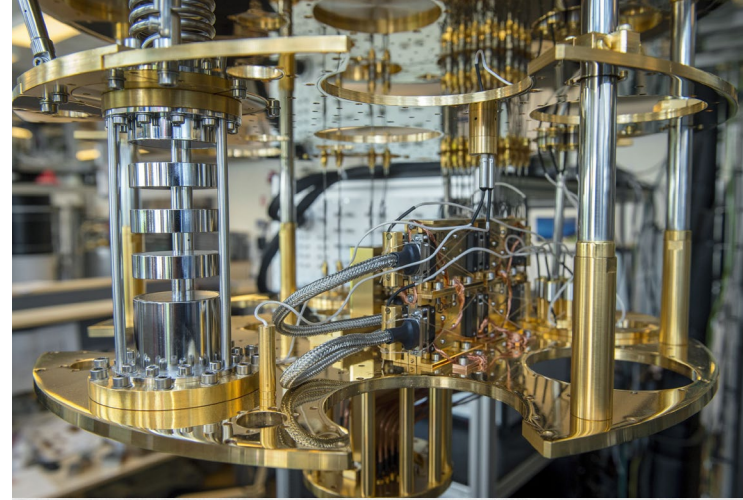
INFORMATION SECURITY



A new type of computing,
based on the fundamental laws
of physics in nature
- quantum mechanics,
may help us solve some of
the most challenging problems.

How does quantum computing work?

 2020.3.21.



What is it?

Performing calculations based on the laws of quantum mechanics



1980 & 1982: Manin & Feynman proposed the idea of creating machines based on the laws of quantum mechanics



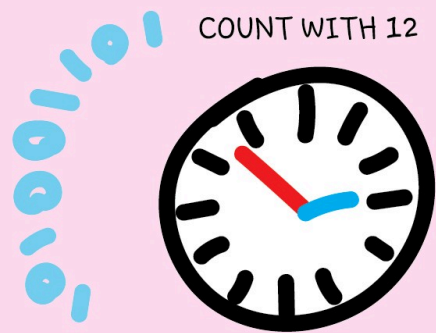
1985: David Deutsch developed Quantum Turing machine, showing that quantum circuits are universal



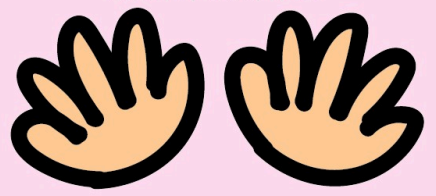
1994: Peter Shor came up with a quantum algorithm to factor very large numbers in polynomial time



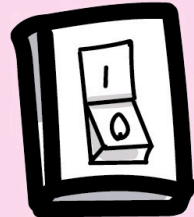
1997: Grover developed a quantum search algorithm with $O(\sqrt{N})$ complexity



COUNT WITH 12



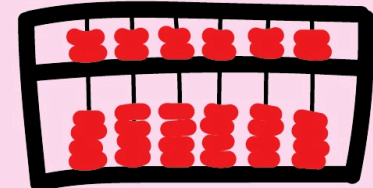
COUNT WITH 10



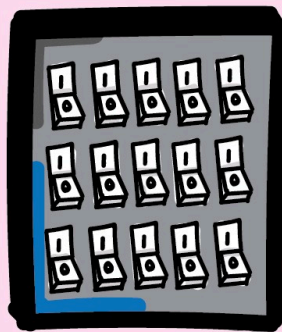
COUNT WITH 2 : WE CALL THEM A BINARY SYSTEM



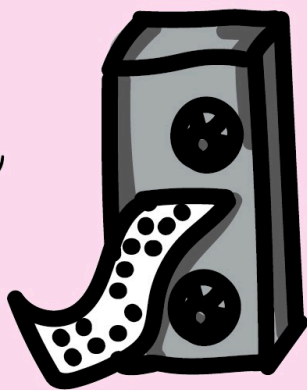
ABACUS: AN ANCIENT CALCULATOR



Computers are made using binary systems. We represent information with "0"s and "1"s.



Modern computers use many many tiny switches called transistors.
"ON" = "1"
"OFF" = "0"

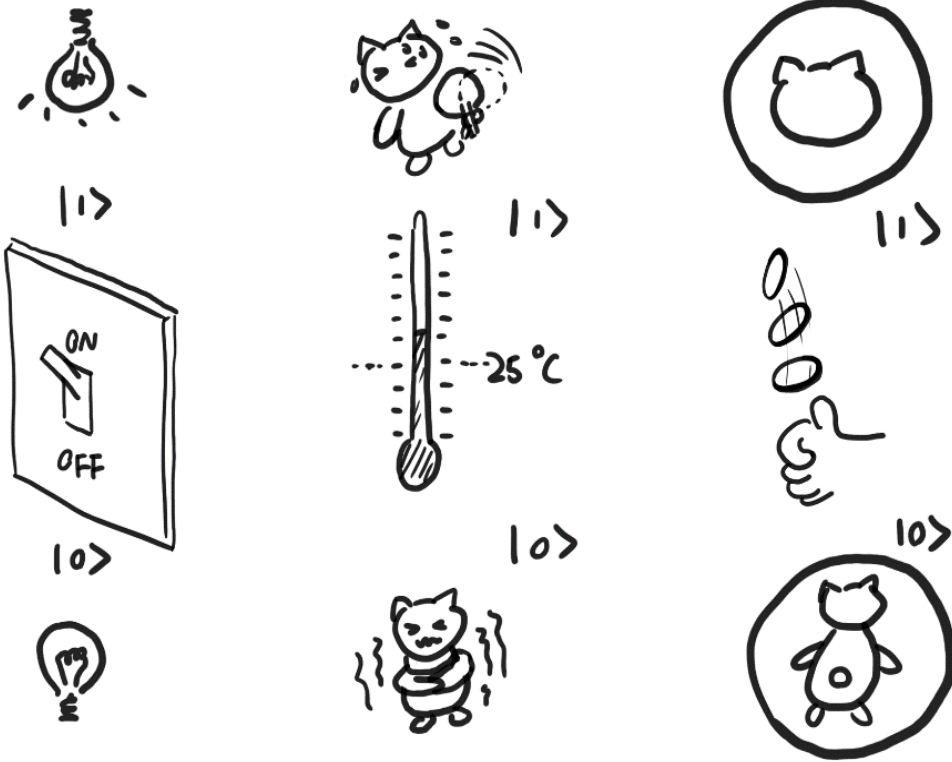


THE FIRST COMPUTERS USED PUNCH CARDS FOR PROGRAMMING

2020.3.22.

States – classical bits

$$|0\rangle = \begin{pmatrix} 1 \\ 0 \end{pmatrix}, \quad |1\rangle = \begin{pmatrix} 0 \\ 1 \end{pmatrix}$$





MULTIPLE CLASSICAL BITS OF "0"s & "1"s.

$$|00\rangle = \begin{pmatrix} 1 \\ 0 \end{pmatrix} \otimes \begin{pmatrix} 1 \\ 0 \end{pmatrix} = \begin{pmatrix} 1 \\ 0 \\ 0 \\ 0 \end{pmatrix} .$$

$$|01\rangle = \begin{pmatrix} 1 \\ 0 \end{pmatrix} \otimes \begin{pmatrix} 0 \\ 1 \end{pmatrix} = \begin{pmatrix} 0 \\ 1 \\ 0 \\ 0 \end{pmatrix} ,$$

$$|10\rangle = \begin{pmatrix} 0 \\ 1 \end{pmatrix} \otimes \begin{pmatrix} 1 \\ 0 \end{pmatrix} = \begin{pmatrix} 0 \\ 0 \\ 1 \\ 0 \end{pmatrix} ,$$

$$|11\rangle = \begin{pmatrix} 0 \\ 1 \end{pmatrix} \otimes \begin{pmatrix} 0 \\ 1 \end{pmatrix} = \begin{pmatrix} 0 \\ 0 \\ 0 \\ 1 \end{pmatrix} .$$

$$|0\rangle = \begin{pmatrix} 1 \\ 0 \end{pmatrix}, \quad |1\rangle = \begin{pmatrix} 0 \\ 1 \end{pmatrix}$$

Math insert - Tensor product-----

How does tensor product \otimes work?

$$\begin{pmatrix} x_0 \\ x_1 \end{pmatrix} \otimes \begin{pmatrix} y_0 \\ y_1 \end{pmatrix} = \begin{pmatrix} x_0 \begin{pmatrix} y_0 \\ y_1 \end{pmatrix} \\ x_1 \begin{pmatrix} y_0 \\ y_1 \end{pmatrix} \end{pmatrix} = \begin{pmatrix} x_0 y_0 \\ x_0 y_1 \\ x_1 y_0 \\ x_1 y_1 \end{pmatrix}$$

and

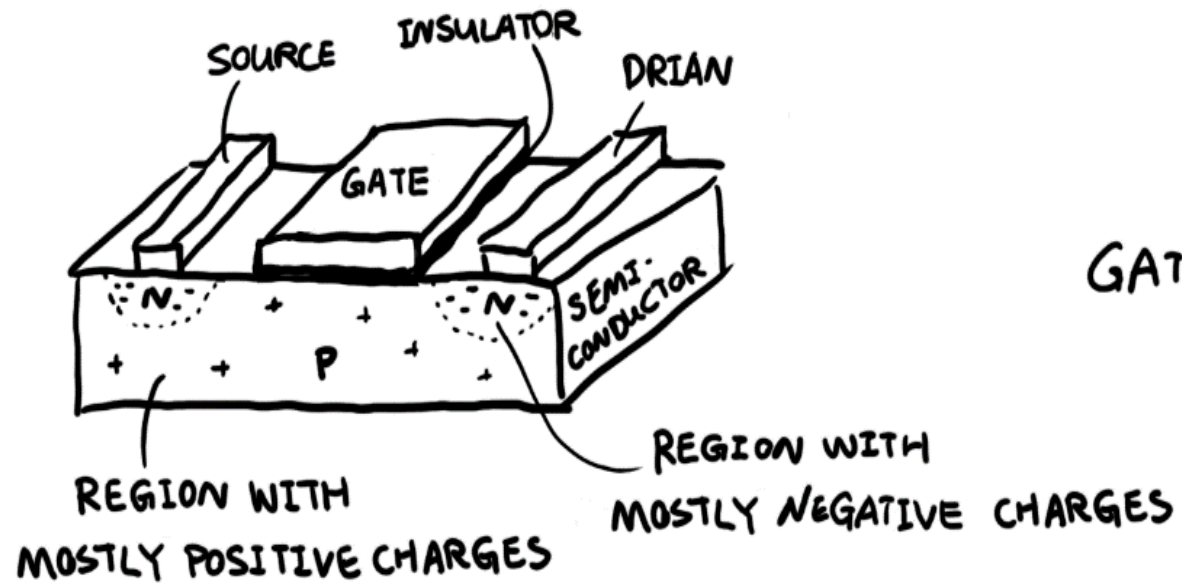
$$\begin{pmatrix} x_0 \\ x_1 \end{pmatrix} \otimes \begin{pmatrix} y_0 \\ y_1 \end{pmatrix} \otimes \begin{pmatrix} z_0 \\ z_1 \end{pmatrix} = \begin{pmatrix} x_0 y_0 z_0 \\ x_0 y_0 z_1 \\ x_0 y_1 z_0 \\ x_0 y_1 z_1 \\ x_1 y_0 z_0 \\ x_1 y_0 z_1 \\ x_1 y_1 z_0 \\ x_1 y_1 z_1 \end{pmatrix}$$

and so on.

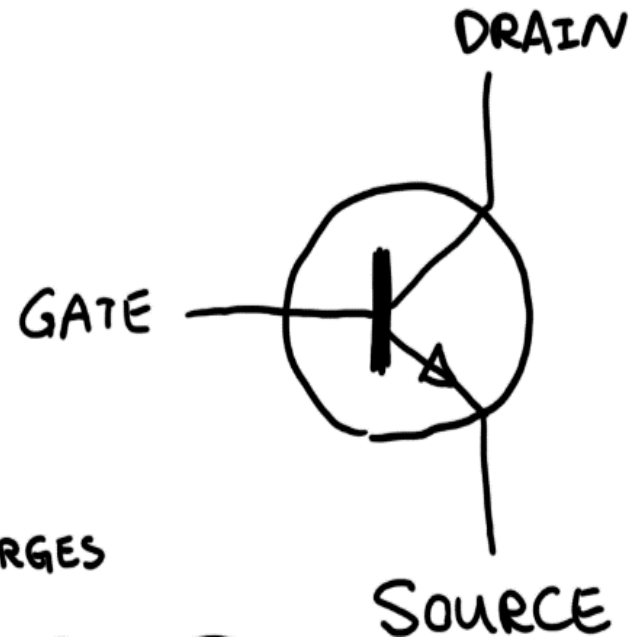
For example, the number 4 can be represented with a three-bit string 100. We can write

$$|4\rangle = |100\rangle = \begin{pmatrix} 0 \\ 1 \end{pmatrix} \otimes \begin{pmatrix} 1 \\ 0 \end{pmatrix} \otimes \begin{pmatrix} 1 \\ 0 \end{pmatrix} = \begin{pmatrix} 0 \\ 0 \\ 0 \\ 0 \\ 1 \\ 0 \\ 0 \\ 0 \end{pmatrix} .$$

MATERIAL CROSS-SECTION



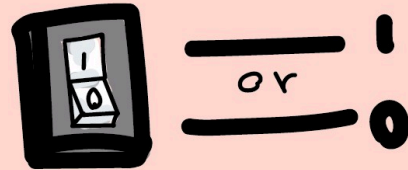
CIRCUIT SYMBOL



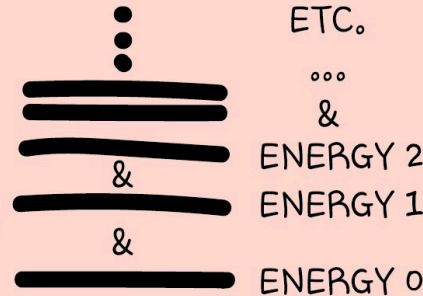


$\partial A_\mu = m^2 \phi$
Well, it doesn't have to be this way!

$\partial_r = m^2 \int \phi$



A switch-like binary building block, in a **state** either "0" OR "1" is a much simplified version of how nature behaves.



Matter in nature is made of building blocks like atoms, electrons, photons, etc. with their(energy) states in **superposition**.

Quantum computing makes use of supersposition, while classical computing doesn't. What is it?

2020.3.25.

2020.3.28

a bit is a unit for measuring information

7

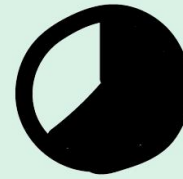
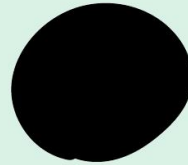
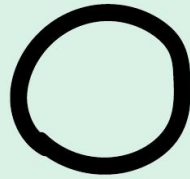
CLASSICAL BITS

QUANTUM BITS (QUBITS)

BIT 1

BIT 2

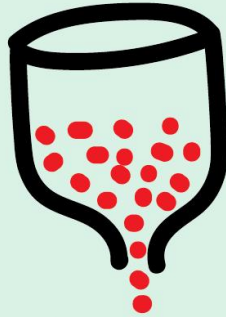
QUBIT 1



empty = "0"

filled = "1"

1/3 of "0" & 2/3 of "1"



20 red beads = "0"

20 blue beads = "1"

8/20 of "0" & 12/20 of "1"



head = "0"

tail = "1"

50% chance of landing on "0"
50% chance of landing on "1"

Quantum bits – qubits



A SPINNING COIN IS LIKE A QUBIT.
EITHER LANDING ON "HEADS" OR
"TAILS" IS POSSIBLE
— "HEADS" AND "TAILS"
ARE IN SUPERPOSITION.

$$|\psi\rangle = \begin{pmatrix} a \\ b \end{pmatrix} = a|0\rangle + b|1\rangle$$

$$|a|^2 + |b|^2 = 1$$



$$a^2 = 1/3$$
$$b^2 = 2/3$$

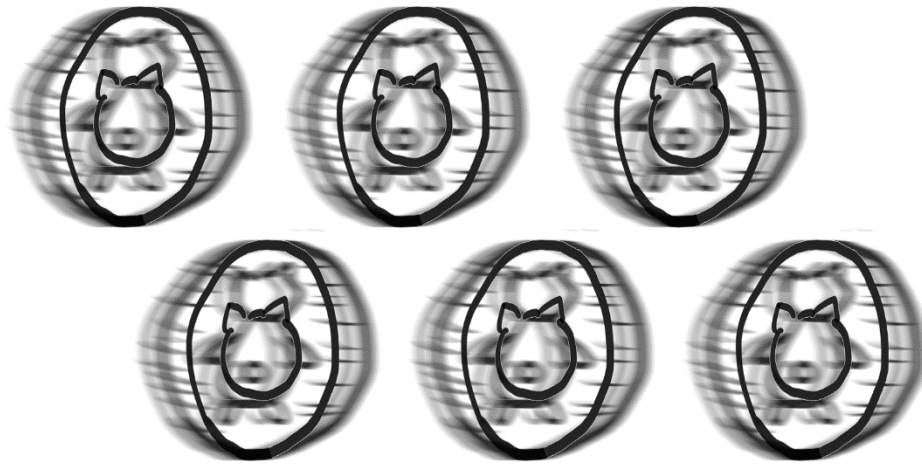


$$a^2 = 8/20$$
$$b^2 = 12/20$$



$$a^2 = 50\%$$
$$b^2 = 50\%$$

Quantum bits – qubits



MULTIPLE QUBITS.

Two qubits:

$$|\psi\rangle = \begin{pmatrix} a \\ b \end{pmatrix} \otimes \begin{pmatrix} c \\ d \end{pmatrix} \\ = \begin{pmatrix} ac \\ ad \\ bc \\ bd \end{pmatrix}$$

$$= ac|00\rangle + ad|01\rangle + bc|10\rangle + bd|11\rangle$$

$$|ac|^2 + |ad|^2 + |bc|^2 + |bd|^2 = 1$$